

Should we look for coincidences between the two? Of course! (Why not?) We could see GRB's which are "off-axis". But what exactly are we getting ourselves into...?

Katherine Rawlins and Nat Butler, MIT GWDAW-9, December 2004





Outline

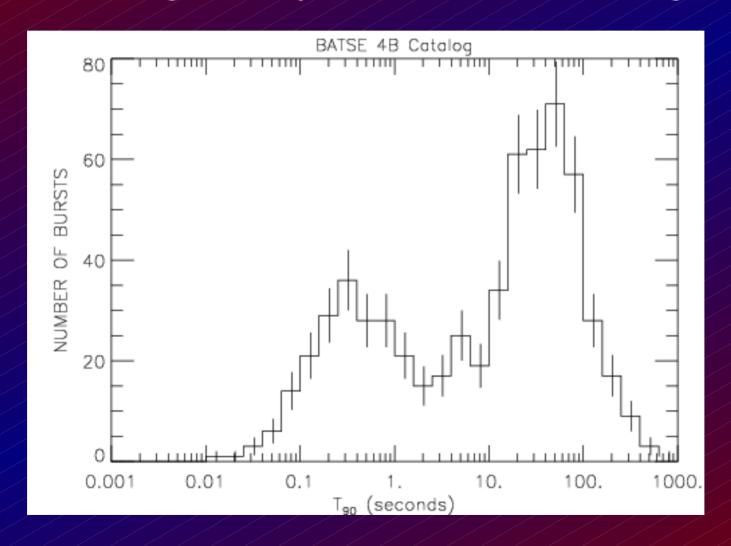
- 1) How many coincidences do we expect?
 - A Toy Monte-Carlo simulation throws events on the sky, using one model of long-duration GRB's
- 2) How might the answer to 1) be wrong?
 - Alternative models, or the lack thereof, could change what we expect





A little GRB backstory

GRB's are generally divided into two categories:

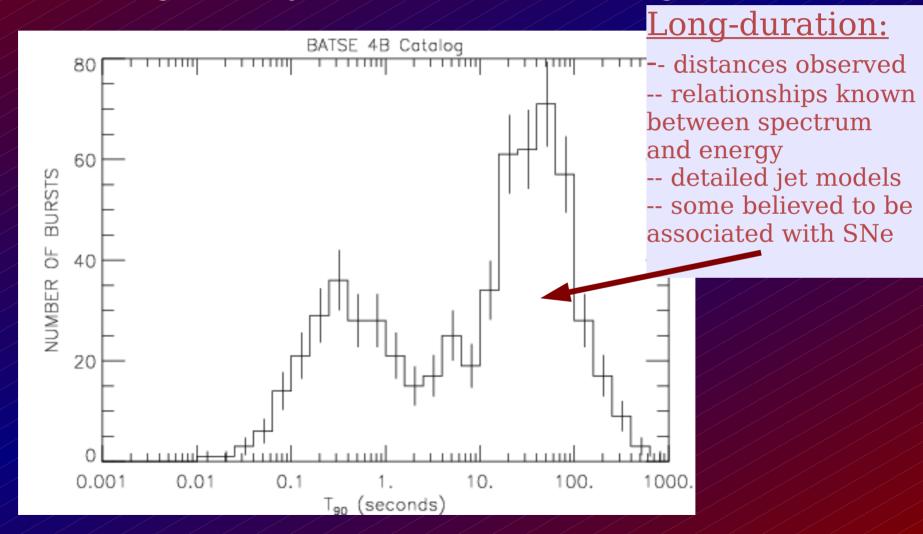






A little GRB backstory

GRB's are generally divided into two categories:

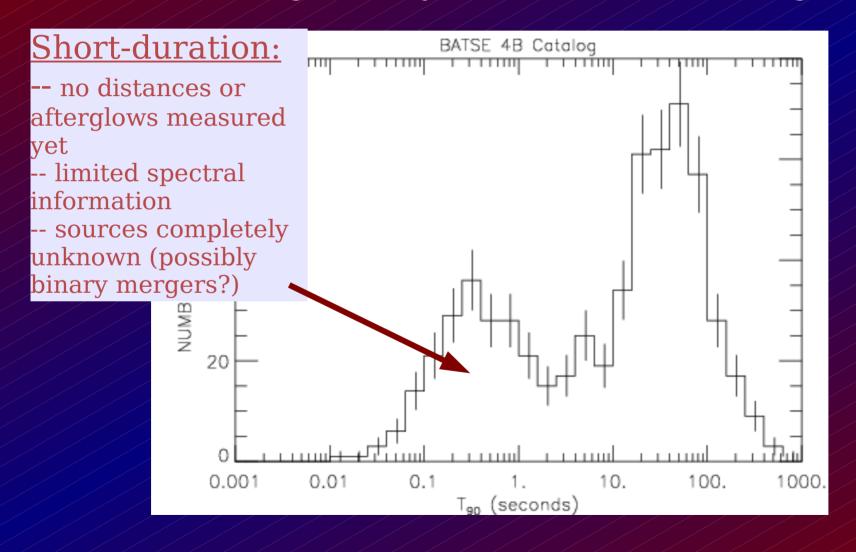






A little GRB backstory

GRB's are generally divided into two categories:







A Toy Monte Carlo for GRB's

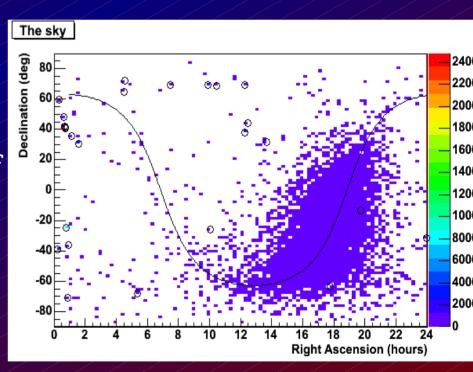
- Simulate a population of GRB's, with distributions of:
 - Sky position
 - Distance
 - Orientation angle
 - Polarization angle (for GW's)
- ... and a model of:
 - gamma-ray emission properties
 - GW emission properties
 - cosmology and SFR
 - local event rate





Distances

- Simulate events as though they were uniform in comoving distance D_c (and compute luminosity distance and z)
- Give each event a weight according to changing star formation rate as a function of z
- If D_c < 3 Mpc, draw from a list of known nearby galaxies
- If D_c < Milky Way, draw from a Galactic mass distribution:

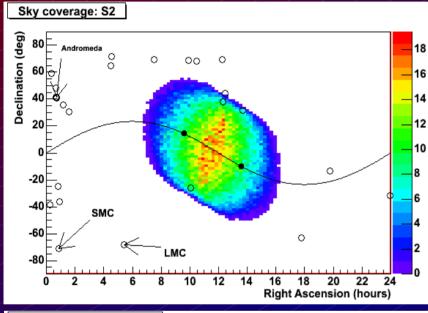


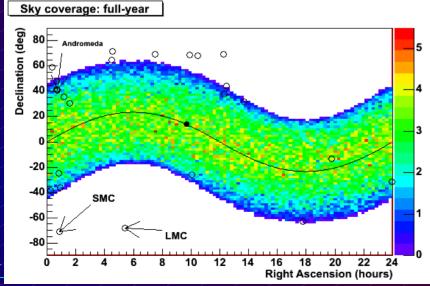


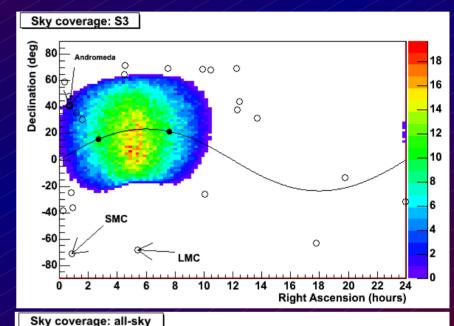


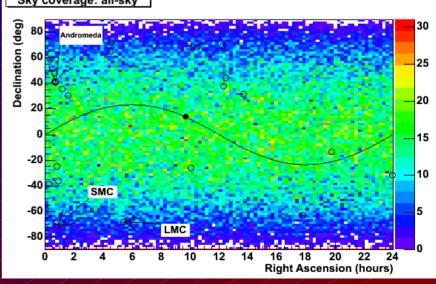
Sky position (RA, dec)

Creates objects only within HETE field of view (~1.5 sr); can specify S2, S3, full-year, or all-sky.













GW emission

Two simple models: binary-like and supernova-like



At the detector:

h(t) = F₊(, , ,t)h₊(t) + F_x(, , ,t)h_x(t)

plane of propagation is rotated relative to

detector by angle



In plane of propagation: "binary-like"

"binary-like" "supernova-like"

$$h_{t}(t) = 1/2(1+\cos^{2}) h0(t) h_{t}(t) = \sin^{2} h0(t)$$

 $h_{t}(t) = \cos h0(t) h_{x}(t) = 0$



Source:

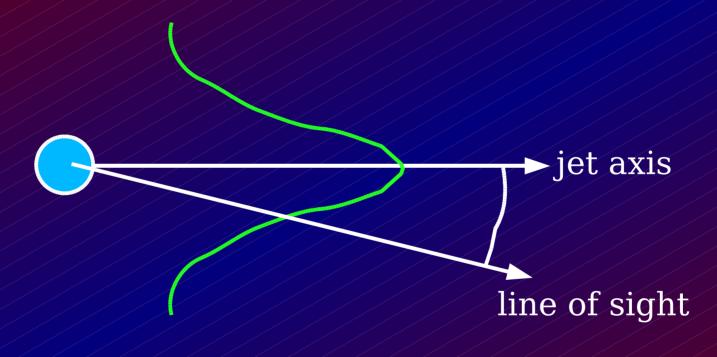
h0(t) = sine-Gaussians





Gamma-ray emission

• Two simple uniform-jet models: "Gaussian", and " -2", candidates for long-duration GRB's:



energy =
$$f() = \begin{cases} -2 \\ Gauss(,) \end{cases}$$





More assumptions

- polarization angle: randomized
- orientation angle: randomized
- For gamma-rays, GRB's are a standard candle of 10⁵¹ ergs
- For gravitational-waves, GRB's are a standard candle of $h_{rss} = 10^{-20}$ at 1 kpc
- GW's produced are sine-Gaussian waveforms, with f=250 Hz and t=10ms
- Local rate of GRB's = local rate of SNe Ib/Ic / 100
- Importance sampling is used to enhance interesting regions of small angle and small distance

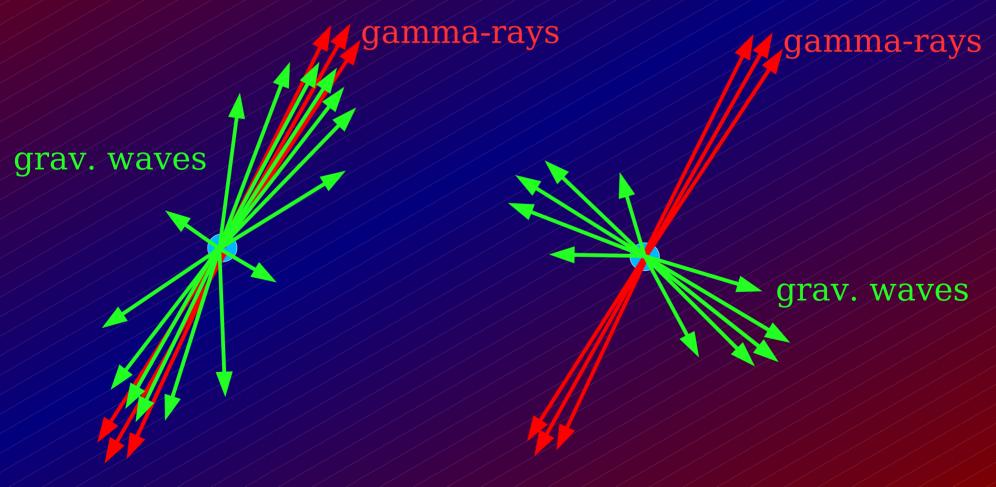




Effects: binary-like or supernova-like



supernova-like





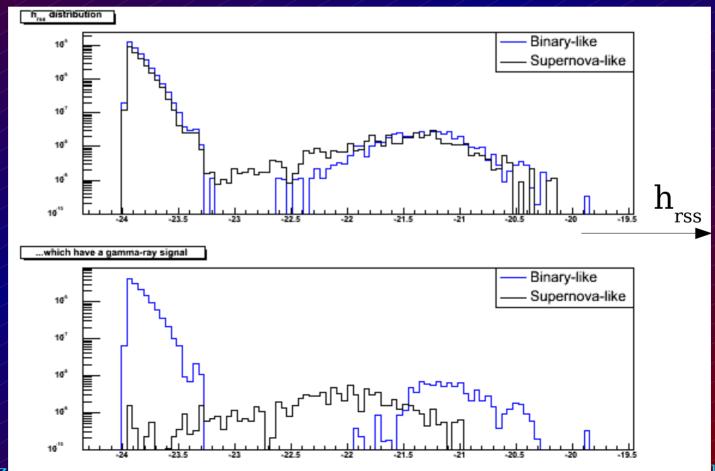


Effects: binary-like or supernova-like

 Differences are minimal for all loud GW events, but if you apply a gamma-ray cut, the supernova-like events (whose GW point away from the jet axis) become rarer.

All events

Seen in gamma-rays



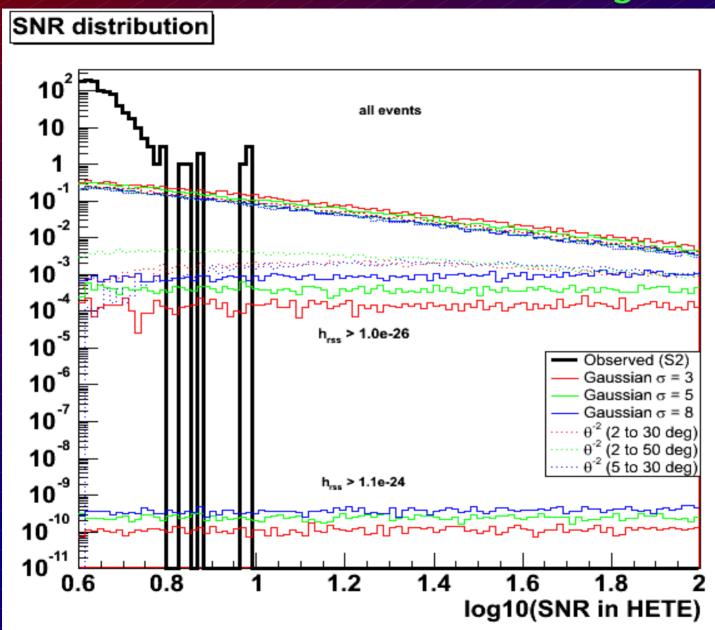
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Predictions: different jet models



gammarays



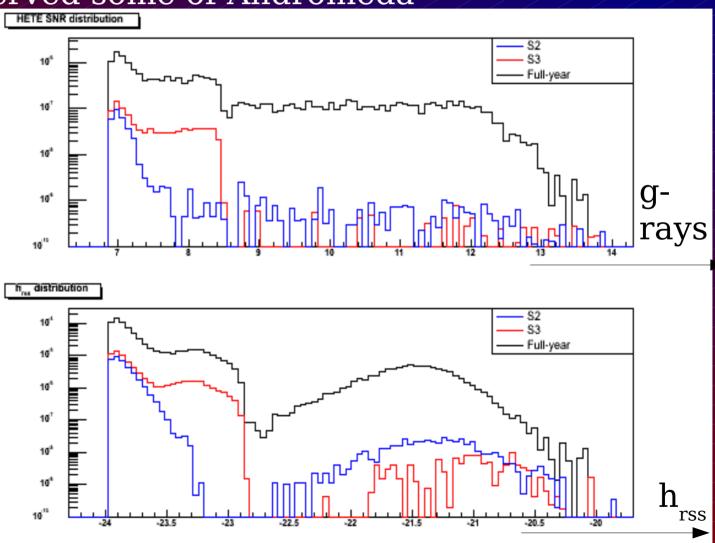


Predictions: which season?

S2 observed closer to the Galactic Center

S3 observed some of Andromeda

tails of distributions







Predictions: event rates

• Total events during S2 above HETE SNR=4: (optimal h_{rss} at 1 kpc = 10^{-20})

<u>detector sens</u> .	<u>binary-like</u>	<u>SN-like</u>	<u>1e-20 in 1Mpc</u>
• 10 ⁻²⁶ :	6.8 x 10 ⁻²	4.9×10^{-5}	
• 10 ⁻²⁵ :	1.5 x 10 ⁻⁴	1.4×10^{-7}	
• 10-24:	1.9 x 10 ⁻⁷	7.3×10^{-10}	
• 10 ⁻²³ :	7.3 x 10 ⁻¹⁰	6.8×10^{-10}	6.8×10^{-2}
• 10-22:	7.3 x 10 ⁻¹⁰	3.6×10^{-10}	1.5 x 10 ⁻⁴
• 10-21:	2.3 x 10 ⁻¹⁰	2.2×10^{-11}	1.9×10^{-7}





Limitations

- No absorption of gamma-rays
- Hanford-only antenna pattern used
- Science run LIGO ontime assumed to be 100%
- Detector efficiency ->1 at a fixed h_{rss}
- GRB's are standard candles in GW's
- GRB's are standard candles in GR's
- Only "standard long-duration cosmological" bursts are modeled





Where to go from here?

- Are inspirals/short GRB's a better hope?
 - More favorable emission pattern
 - Better range in LIGO
 - Swift is expected to see many short GRB's
- "Third category" of GRB's?
 - Some bursts are underluminous in gamma-rays, have different spectral properties (i.e. GRB031203)
 - The bursts that look funny are the close-by ones
- Both these things are difficult to model





To-do list

- Expand GRB models; make some educated guesses and take a crack at short-duration and underluminous
- Repeat for SWIFT satellite
- "Collect" triggers from both instruments, for S2, S3, (S4?) and compare





The End!



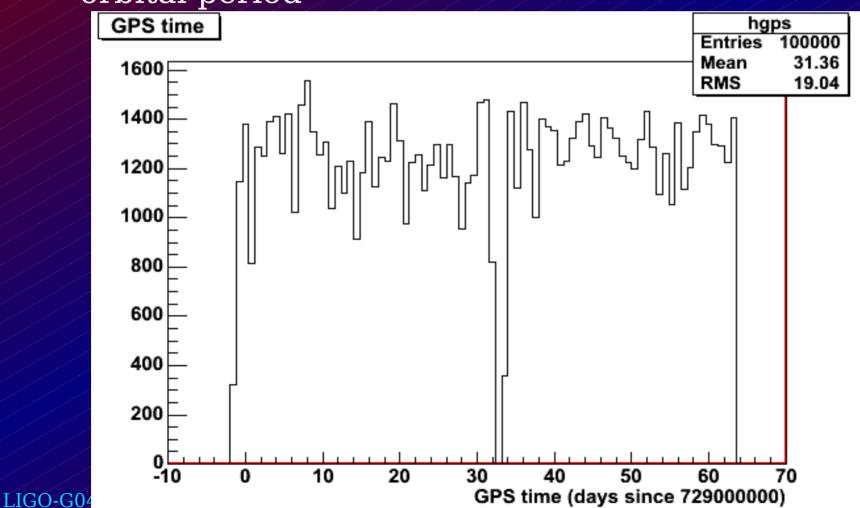


Inputs: GRB time

For S2, use actual satellite on-times

• For S3 and others, hypothesize on-times based on

orbital period



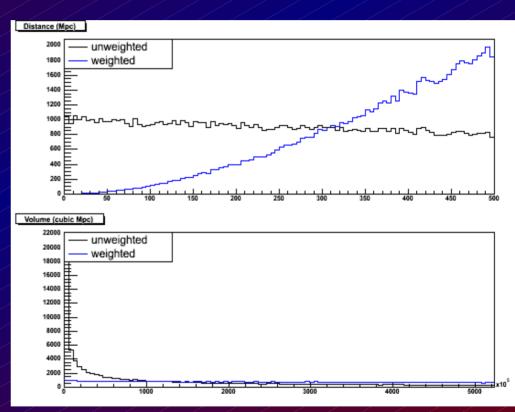
cember 2004





Inputs: Distance

- Simulate events as though they were uniform in comoving distance Dc
- From Dc, compute redshift z and luminosity distance DL
- Give each event a weight according to changing star formation rate as a function of z
- Importance-sample, to emphasize nearby (more insteresting) events

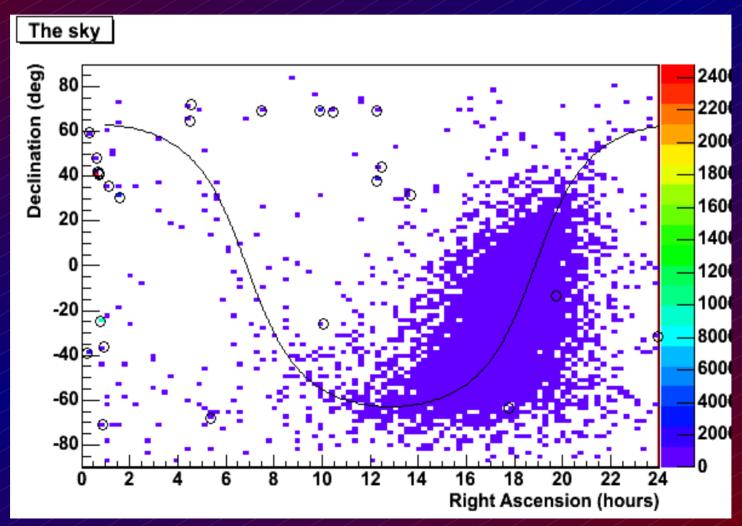






Nearby distances: the Galaxy

 If an event is generated in the Milky Way, it is pulled from a Galactic mass distribution:





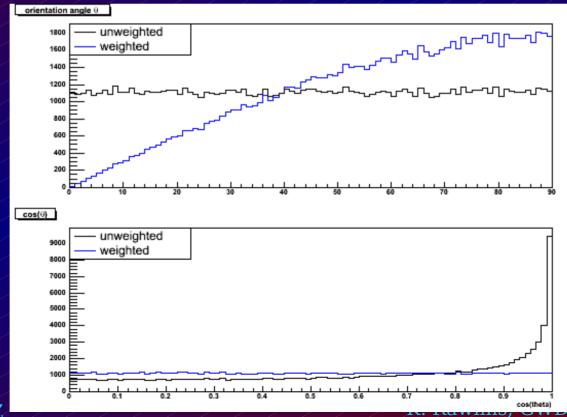


Input: Orientation angle

 theta is the angle between the GRB jet axis (or angular momentum axis) and the line of sight

 Generate events uniformly in cos(theta). But because small-angles are most interesting, importance-sample to smoothen the distribution

there.







Long vs. short-range simulations

 Need long-range simulations to know about low-SNR events, but short-range simulations are sufficient for loud-GW events.

